

**Materials Needed:**

Scale

**Instructions:**

Do all work in the metric system

1. Member's Mark claims that there are \_\_\_\_\_ grams of candy in each bag.
2. For your bag of candy, measure the following and record.

| Mass of package (g) | Mass of wrapper (g) | Mass of candy (g) |
|---------------------|---------------------|-------------------|
|                     |                     |                   |
|                     |                     |                   |
|                     |                     |                   |

The instructor will gather the masses from the students and enter them into the computer.

3. Summarize the sample.

| Sample Size, $n$ | Mean, $\bar{x}$ | St. Dev, $s$ | SE Mean |
|------------------|-----------------|--------------|---------|
|                  |                 |              |         |

4. Write the original claim symbolically.
5. The original claim is the ( null / alternative ) hypothesis.
6. Write the null and alternative hypotheses.

$H_0$  :

$H_1$  :

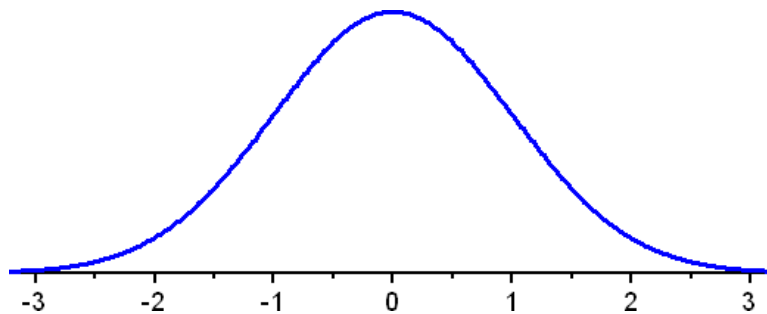
7. This is a ( left tail / right tail / two tail ) test.
8. The Student's t distribution needs degrees of freedom, which are \_\_\_\_\_.
9. The significance level is  $\alpha =$  \_\_\_\_\_.
10. Place the significance level into the table and use the probability calculator to find the critical t-value(s). Label the appropriate values as CV and  $\alpha$ .

| t-score | area to left* | area to right* | twice smaller area |
|---------|---------------|----------------|--------------------|
|         |               |                |                    |

\*If you have a two tail test, then put the same area for the left and right when finding the critical value.

### Confidence Interval Approach

11. The margin of error is  $ME = CV \times SE$  , its value is \_\_\_\_\_.
12. Draw vertical lines at the critical values to represent the confidence interval limits. The center of the confidence interval is the sample mean and margin of error is the distance to either side of the center. Label the graph to illustrate this.



13. The \_\_\_\_\_ % confidence interval is \_\_\_\_\_  $< \mu <$  \_\_\_\_\_.
14. The confidence interval ( does / does not ) contain the claimed value of \_\_\_\_\_, so we ( reject / retain ) the null hypothesis.

## Classical and Probability Value Approaches

15. The test statistic is  $t = \frac{\bar{x} - \mu}{SE(\bar{x})}$ , its value is \_\_\_\_\_.

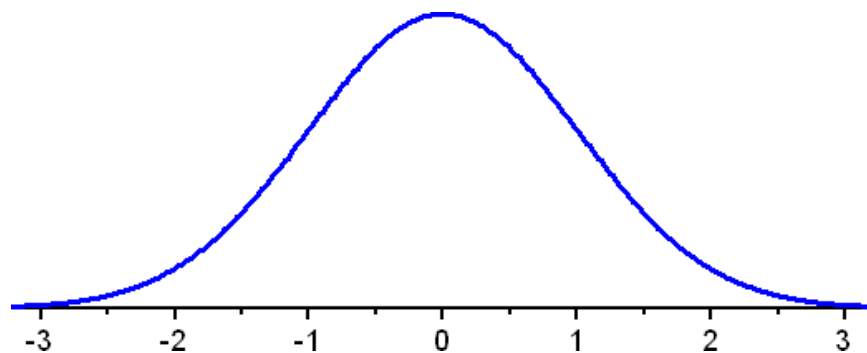
16. Write the test statistic in the table and then use the probability calculator to find the other values. Label the appropriate values as TS and p-value.

| t-score | area to left | area to right | twice smaller area |
|---------|--------------|---------------|--------------------|
|         |              |               |                    |

17. The probability value is \_\_\_\_\_.

18. Illustrate the diagram as follows

- Draw and label vertical line(s) at the critical value(s)
- Shade and label the critical region
- Label the non-critical region
- Draw arrows and label the area in the critical region and non-critical region. Use  $\alpha$  notation like  $\alpha = 0.05$  or  $1 - \alpha = 0.05$ .
- Label the appropriate regions with "Reject  $H_0$ " and "Retain  $H_0$ ".
- Draw and label a vertical line at the test statistic.
- Draw an arrow and label the area beyond the test statistic with the p-value.



19. The test statistic ( does / does not ) fall in the critical region, so we ( reject / retain ) the null hypothesis.

20. The p-value is ( less / greater ) than the significance level, so we ( reject / retain ) the null hypothesis.
21. The decision is to ( reject / retain ) the null hypothesis.
22. There ( is / is not ) enough evidence to ( reject / support ) the claim that the mean amount of candy in each bag is \_\_\_\_\_ grams.

Use the areas from question 16 to find the appropriate p-values for these questions.

23. Test the claim that there is more than \_\_\_\_\_ grams of candy in the bag.
- The original claim written symbolically is \_\_\_\_\_. This is the ( null / alternative ) hypothesis so we will ( reject / support ) the claim.
  - The alternative hypothesis is \_\_\_\_\_ so this is a ( left / right / two ) tail test.
  - The p-value is \_\_\_\_\_, which is ( less / greater ) than the significance level, so there ( is / is not ) enough evidence.
  - Based on a p-value of \_\_\_\_\_, there ( is / is not ) enough evidence to ( reject / support ) the claim that there are more than \_\_\_\_\_ grams of candy in the bag.
24. Test the claim that there are at least \_\_\_\_\_ grams of candy in the bag.
- The original claim written symbolically is \_\_\_\_\_. This is the ( null / alternative ) hypothesis so we will ( reject / support ) the claim.
  - The alternative hypothesis is \_\_\_\_\_ so this is a ( left / right / two ) tail test.
  - The p-value is \_\_\_\_\_, which is ( less / greater ) than the significance level, so there ( is / is not ) enough evidence.
  - Based on a p-value of \_\_\_\_\_, there ( is / is not ) enough evidence to ( reject / support ) the claim that there are at least \_\_\_\_\_ grams of candy in the bag.